

## **R TUTORIAL, #14:** **CONFIDENCE INTERVALS (CIs)**

The (>) symbol indicates something that you will type in.

A bullet (•) indicates what the R program should output (and other comments).

### **CI FOR A MEAN; STANDARD DEVIATION UNKNOWN**

- Plot the density curve for the  $t$  distribution on 1 df (degree of freedom).  
> Type: `curve(dt(x,df=1), xlim = c(-3, 3), ylim = c(0, 0.5), xlab = "t", ylab="f(t)")`
- Plot the density curve for the  $t$  distribution on 9 df. How does this differ?  
> Type: `curve(dt(x,df=9), xlim = c(-3, 3), ylim = c(0, 0.5), xlab = "t", ylab="f(t)")`
- > Type: `scores = c(80, 76, 100, 83, 100)`
- > Type: `t.test(scores, conf.level = 0.90)`
  - We obtain a 90% CI for the population mean.
  - We will discuss much of this when we discuss hypothesis tests later.
- > Type: `t.test(scores, conf.level = 0.95)`
  - How is this 95% CI different from our 90% CI?

### **CI FOR A PROPORTION**

- We use a  $z$  distribution.
- > Type: `prop.test(x=230, n=500, conf.level = 0.90)`
- > Type: `prop.test(x=230, n=500, conf.level = 0.95)`
  - How is this 95% CI different from our 90% CI?
  - These CIs use continuity corrections (Yates's continuity correction).
- Here, we will not use Yates's continuity correction.
- > Type: `prop.test(x=230, n=500, conf.level = 0.90, correct = F)`
- > Type: `prop.test(x=230, n=500, conf.level = 0.95, correct = F)`
  - F stands for FALSE, which can also be typed in.
  - There are very slight differences between these intervals and what we get from our formula. R uses more sophisticated techniques.